



The procedure for performing parametric equalization of a triangulation grid using Microsoft Excel

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Annotation: One of the main tools in the Microsoft Office 2010 package is a spreadsheet program Microsoft Excel, which is part of the software of modern computers. Microsoft Excel is designed for the preparation and mathematical processing of spreadsheets under the control of the Windows operating system.

We aim to perform the process of equalization of the triangulation node by the parametric method using Microsoft Excel.

Key words: Excel, triangulation, measure, mathematical processing, Windows operation system, result, parametric method

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We aim to perform the process of equalization of the triangulation node by the parametric method using Microsoft Excel.

Figure 1 shows a schematic of the measurement of angles in the triangulation type and Table 1 shows the results of the measured angles.



Measurement Scheme:

Measured Angle Values Table 1

O / n	Measured angle	Sign	Corner name	Equation
1	30°00'01"	X_1	AOB	t_1
2	42°00'01"	X_2	BOC	t_2
3	44°00'01"	X_3	COD	t_3
4	33°00'01"	X_4	DOE	t_4
5	80°00'22"	X_5	AOC	$t_1 + t_2$
6	86°00'12"	X_6	BOD	$t_2 + t_3$
7	76°59'52"	X_7	COE	$t_3 + t_4$
8	123°59'43"	X_8	AOD	$t_1 + t_2 + t_3$
9	119°00'18"	X_9	BOE	$t_2 + t_3 + t_4$
10	156°59'49"	X_{10}	AOE	$t_1 + t_2 + t_3 + t_4$

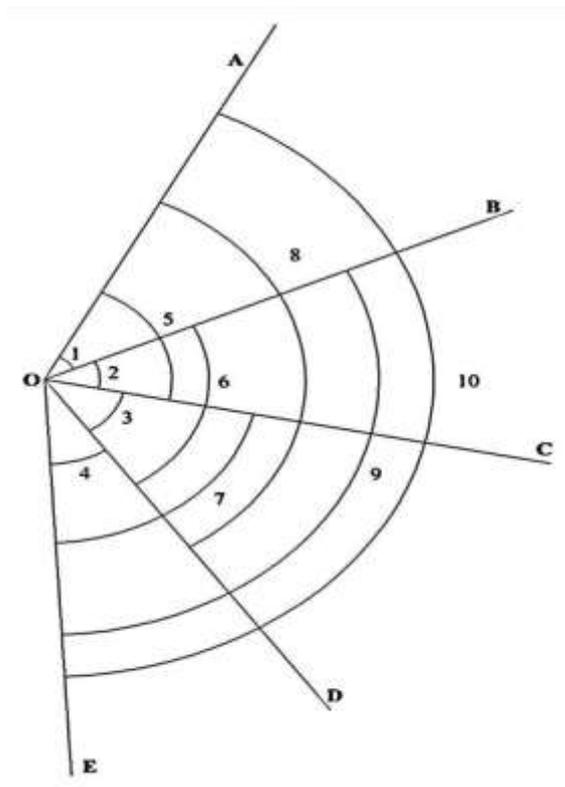


Figure 1



As parameters, we take the first four of the ten measured angles. We define them by their equalized value t_1, t_2, t_3, t_4 (Table 1).

As an approximate value of the desired unknowns, we take the results of their measurements, namely:

$$t_1 = 30^{\circ}00'01'' \quad , \quad t_2 = 42^{\circ}00'01'' \quad t_3 = 44^{\circ}00'01'' \quad t_4 = 33^{\circ}00'01''$$

Then we express the equal value of all ten measured quantities by the equal value of the four required unknowns to construct the dependence of the parametric equations.

$$\bar{x}_i = x_i - V_i = f_i(t_1, t_2, t_3, t_4)$$

(1) according to the formula

- | | | |
|----------------------------|--|-----|
| 1) $\bar{x}_1 = t_1$ | 6) $\bar{x}_6 = t_2 + t_3$ | |
| 2) $\bar{x}_2 = t_2$ | 7) $\bar{x}_7 = t_4 + t_5$ | |
| 3) $\bar{x}_3 = t_3$ | 8) $\bar{x}_8 = t_1 + t_2 + t_3$ | (2) |
| 4) $\bar{x}_4 = t_4$ | 9) $\bar{x}_9 = t_2 + t_3 + t_4$ | |
| 5) $\bar{x}_5 = t_1 + t_2$ | 10) $\bar{x}_{10} = t_1 + t_2 + t_3 + t_4$ | |

To perform the process of parametric equalization of the triangulation network using Microsoft Excel is necessary to perform the following procedure:

1. In the Microsoft Excel program, we enter the measured values in the order shown in Figure 2, the selected desired unknowns (parameters), the approximate value of the detected parameters and the dependence of the constructed parametric equations .

O'changan burchak	Burchak nomi	Tenglama
38:00:01	ADE	a
42:00:01	BOC	b
44:00:01	COB	c
33:00:01	DCE	d
80:00:22	AOC	a+b
88:00:12	BOC	b+c
76:59:52	COE	c+d
123:59:43	AOD	a+b+c
119:00:18	BOE	b+c+d
156:59:49	ADE	a+b+c+d

Figure 2.

2. We convert the measured values in degrees, minutes, seconds to radians in Microsoft Excel using geodetic instruments (theodolite tool). To do this, we enter the information in column 2 of Table 1 in the order shown in Figure 2 in Microsoft Excel - left-click on the arrow (format cell: number) in the corner of the item "Number" of the "Main" section of the program window (Figure 3a) and an additional working window as shown in Figure 3b is formed.

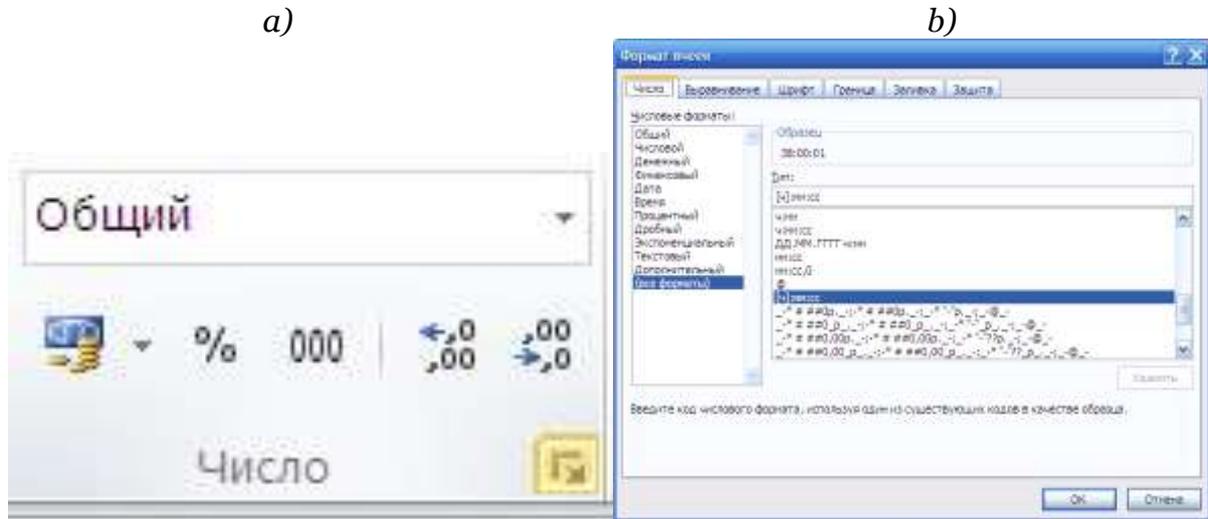


Figure 3.

Then we click on the "Number" item in the additional working window "Format cells" in Figure 3b, select the command "(all formats)" from the menu "Numeric formats:" and from the menu "Type" we select the "[ch]: mm: ss icon and activate the mode "Number" by pressing the button .

3. After activating the "Number" mode, multiplying the measured 180° values (expressed in degrees, minutes, seconds) entered in Microsoft Excel, $\pi = 3,141592.....$ our values become radian.

(Figure 4)

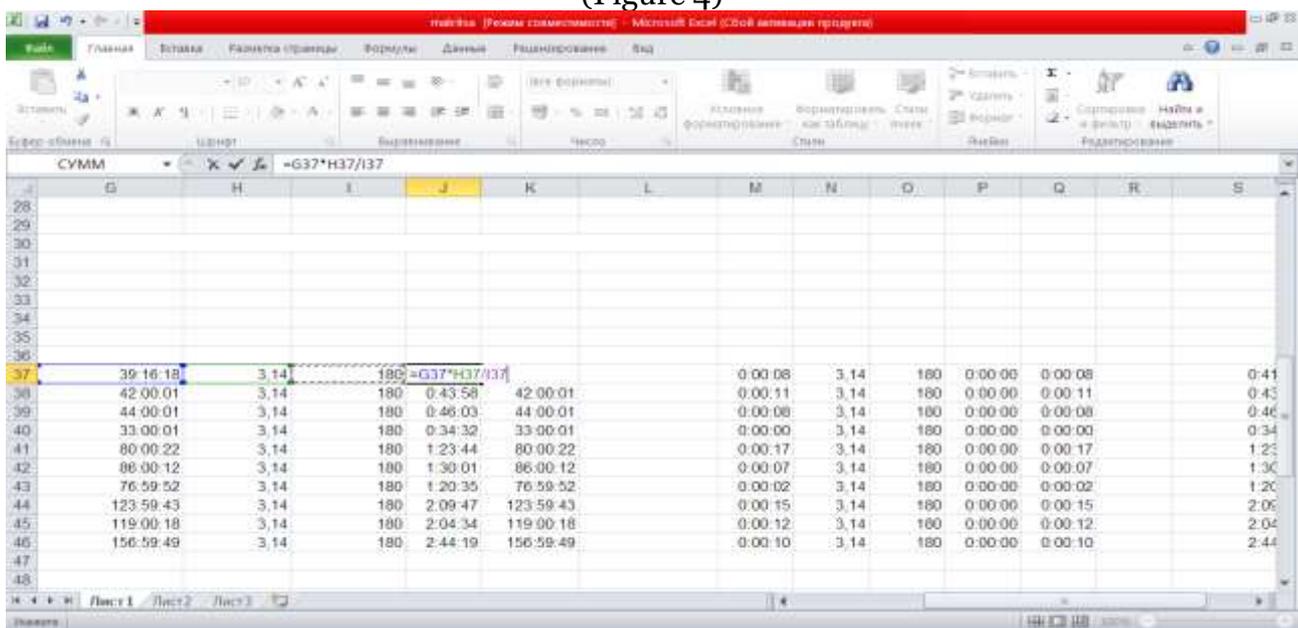


Figure 4.



4. Then we construct the parametric equation of corrections

$$V_i = a_{i1}r_1 + a_{i2}r_2 + \dots + a_{ir}r_k + l_i \quad i = 1, 2, \dots, 10 \quad (3)$$

This here: $a_{it} = \left(\frac{\partial \bar{x}_i}{\partial t_1} \right); \quad a_{i2} = \left(\frac{\partial \bar{x}_i}{\partial t_2} \right); \quad a_{ik} = \left(\frac{\partial \bar{x}_i}{\partial t_k} \right);$

$$l_i = f_i(t_1^0, \dots, t_k^0) - x_i = x_i^0 - x_i \quad (4)$$

In the example of the 4th correction equation we show how to construct. The 4th equation is due to:

$$a_{41} = \left(\frac{\partial \bar{x}_4}{\partial t_1} \right)_0 = +1 \quad a_{42} = \left(\frac{\partial \bar{x}_4}{\partial t_2} \right)_0 = 0 \quad a_{43} = \left(\frac{\partial \bar{x}_4}{\partial t_3} \right)_0 = 0 \quad a_{44} = \left(\frac{\partial \bar{x}_4}{\partial t_4} \right)_0 = 0$$

Free limit:

$$l_4 = (t_1^0 + t_2^0) - x_4 = 38^{\circ}00'01'' + 42^{\circ}00'01'' - 80^{\circ}00'22'' = -20,0''$$

Correction equation the following appearance takes

$$V_5 = r_1 + r_2 + 20''$$

We write the equation of all corrections in the same way.

- | | |
|-----------------------------|---|
| 1) $V_1 = r_1$ | 6) $V_6 = r_2 + r_3 + 10''$ |
| 2) $V_2 = r_2$ | 7) $V_7 = r_3 + r_4 + 10''$ |
| 3) $V_3 = r_3$ | 8) $V_8 = r_1 + r_2 + r_3 + 20''$ |
| 4) $V_4 = r_4$ | 9) $V_9 = r_2 + r_3 + r_4 + 15''$ |
| 5) $V_5 = r_1 + r_2 - 20''$ | 10) $V_{10} = r_1 + r_2 + r_3 + r_4 + 15''$ |

We enter the above steps in the Microsoft Excel spreadsheet (Figure 5).



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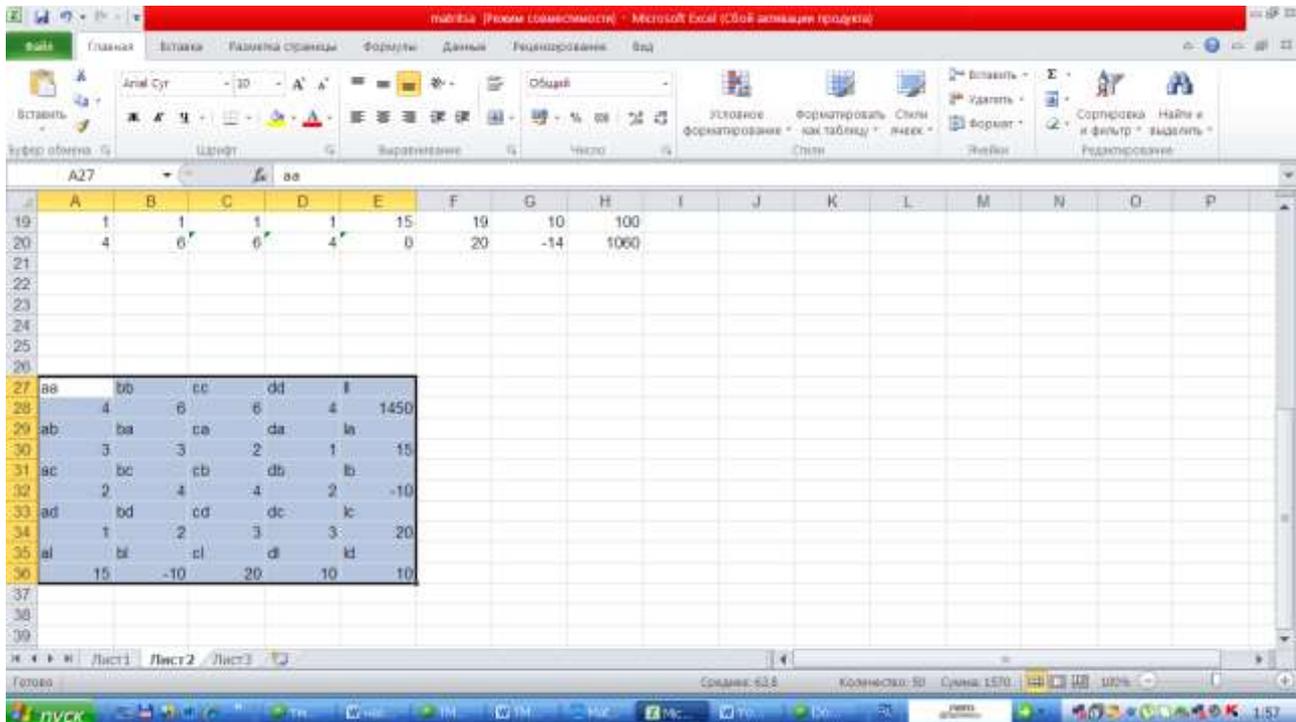


Figure 7.

Since it is the sum of the numbers on the columns, the sum of all the values of S_i is equal to the sum of the values above the double line.

6. Solving normal equations:

The system of equations consisting of four unknowns is as follows:

$$[a_1a_1]r_1 + [a_1a_2]r_2 + [a_1a_3]r_3 + [a_1a_4]r_4 + [a_1l] = 0$$

$$[a_2a_1]r_1 + [a_2a_2]r_2 + [a_2a_3]r_3 + [a_2a_4]r_4 + [a_2l] = 0$$

$$[a_3a_1]r_1 + [a_3a_2]r_2 + [a_3a_3]r_3 + [a_3a_4]r_4 + [a_3l] = 0$$

$$[a_4a_1]r_1 + [a_4a_2]r_2 + [a_4a_3]r_3 + [a_4a_4]r_4 + [a_4l] = 0$$

Solving a system consisting of this normal equation is done in Microsoft Excel using the Kramer method as shown in Figure 8.

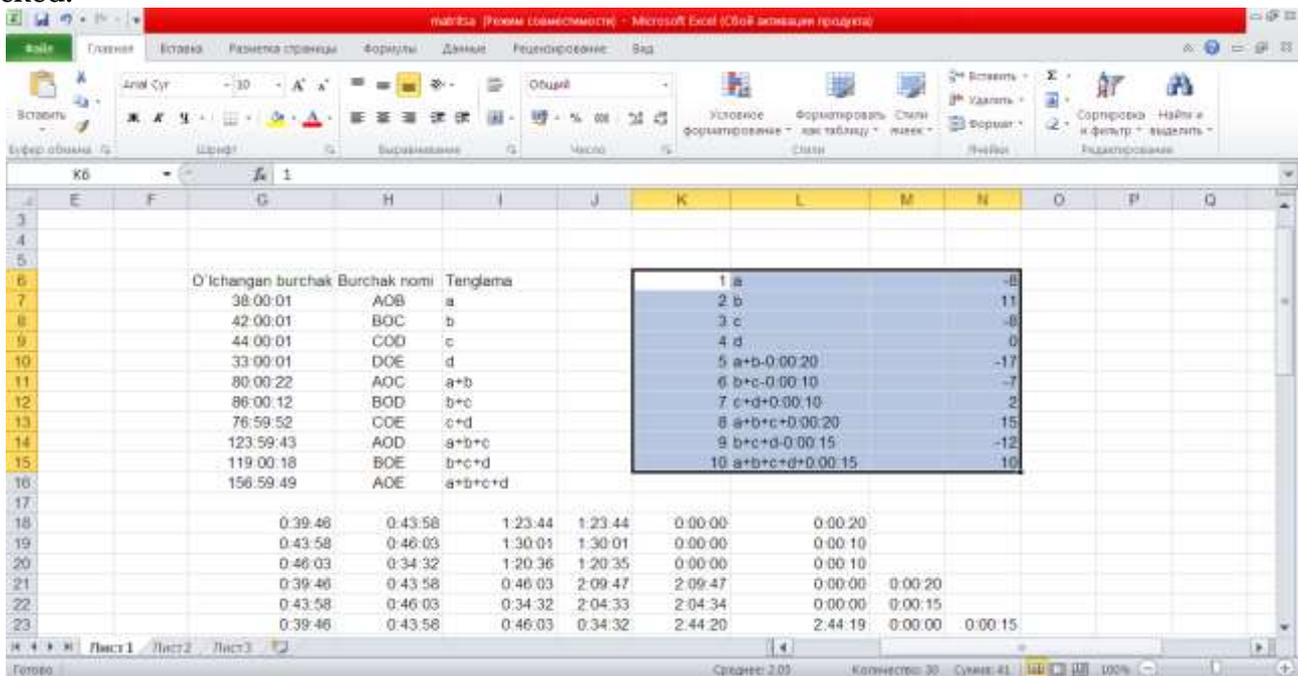


	A	B	C	D	E	F
33	4	3	2	1		
34	3	6	4	2		
35	2	4	6	3		
36	1	2	3	4	125	
38						
39	-15	3	2	1		
40	10	6	4	2		
41	-20	4	6	3		
42	-10	2	3	4	-1000	
44						
45	4	-15	2	1		
46	3	10	4	2		
47	2	-20	6	3		
48	1	-10	3	4	1375	
50						
51	4	3	-15	1		
52	3	6	10	2		
53	2	4	-20	3		
54	1	2	-10	4	-1000	
56						
57	4	3	2	-15		
58	3	6	4	10		
59	2	4	6	-20		
60	1	2	3	-10	0	
61						
62	-8					

Figure 8.

7. Calculation of corrections to the measured results:

V_i for the measured angle value is found from the spreadsheet in Figure 6 according to the formula and the construction of this table is completed (Figure 9). Equality (1) and (4) are also checked.



D'Ichangan burchak	Burchak nomi	Tanglama	1 a	-B					
38:00:01	AOB	a	2 b	11					
42:00:01	BOC	b	3 c	-8					
44:00:01	COB	c	4 d	0					
33:00:01	DOE	d	5 a+b-0.00.20	-17					
80:00:22	AOC	a+b	6 b+c-0.00.10	-7					
86:00:12	BOD	b+c	7 c+d+0.00.10	2					
76:59:52	COE	c+d	8 a+b+c+0.00.20	15					
123:59:43	AOD	a+b+c	9 b+c+d-0.00.15	-12					
119:00:18	BOE	b+c+d	10 a+b+c+d+0.00.15	10					
156:59:49	AOE	a+b+c+d							
		0.39.48	0.43.58	1.23.44	1.23.44	0.00.00	0.00.20		
		0.43.58	0.46.03	1.30.01	1.30.01	0.00.00	0.00.10		
		0.46.03	0.34.32	1.20.36	1.20.35	0.00.00	0.00.10		
		0.39.46	0.43.58	0.46.03	2.09.47	2.09.47	0.00.00	0.00.20	
		0.43.58	0.46.03	0.34.32	2.04.33	2.04.34	0.00.00	0.00.15	
		0.39.46	0.43.58	0.46.03	0.34.32	2.44.20	2.44.19	0.00.00	0.00.15

Figure 9.



9. Calculation the equivalent value of the unknowns (parameters).

Hence, in this example, the measured quantities are selected as parameters, and it is appropriate to perform the considered calculations together with the calculations of the next stage.

10. Calculating the equivalent value of the measured quantities.

The correction is the equalized value of the angles in Figure 10 using V_i .

11. Final check of equation.

It consists of recalculating the equalized value of the angle according to the dependence of equations (2).

The test calculations are given in Figure 10.

	I	J	K	L	M	N	O	P	Q	R	S	T	U
36													
37		180	0 41 06	39 16 18		0 00 08	3 14	180	0 00 00	0 00 08		0 41 06	39 16 10
38		180	0 43 58	42 00 01		0 00 11	3 14	180	0 00 00	0 00 11		0 43 57	41 59 50
39		180	0 46 03	44 00 01		0 00 08	3 14	180	0 00 00	0 00 08		0 46 03	43 59 53
40		180	0 34 32	33 00 01		0 00 00	3 14	180	0 00 00	0 00 00		0 34 32	33 00 01
41		180	1 23 44	80 00 22		0 00 17	3 14	180	0 00 00	0 00 17		1 23 44	80 00 05
42		180	1 30 01	86 00 12		0 00 07	3 14	180	0 00 00	0 00 07		1 30 01	86 00 05
43		180	1 20 35	78 59 52		0 00 02	3 14	180	0 00 00	0 00 02		1 20 35	76 59 50
44		180	2 09 47	123 59 43		0 00 15	3 14	180	0 00 00	0 00 15		2 09 47	123 59 28
45		180	2 04 34	119 00 18		0 00 12	3 14	180	0 00 00	0 00 12		2 04 33	119 00 06
46		180	2 44 19	156 59 49		0 00 10	3 14	180	0 00 00	0 00 10		2 44 19	156 59 39
47													

Figure 10.

12. Accuracy assessment.

1. The mean square error of the directly measured results and the mean square of the “error of error”

$$m = \sqrt{\frac{[V^2]}{n - k}} \quad (7)$$

$$m_m = \frac{m}{\sqrt{2(n - k)}} \quad (8)$$

To use the above formula in Microsoft Excel, we need to do the work in the order shown below. To do this, we need to enter formulas (7) and (8) into Microsoft Excel. In formula (7) we enter the numbers under the root in the spreadsheet of the program (Figure 11).



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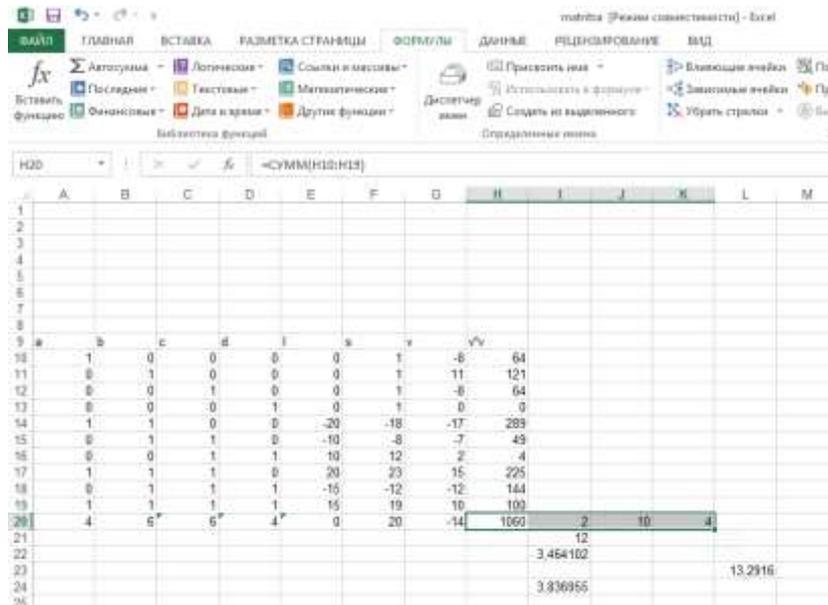


Figure 11

Then we go to the command line "FORMULAS" from the command line of the program and click on the command "ROOT" from the menu "Mathematical" in the submenu "Library of functions" and type $1060 / (10-4)$ in the window "Number" and click on the button, and the result will appear on the screen (Figure 12).

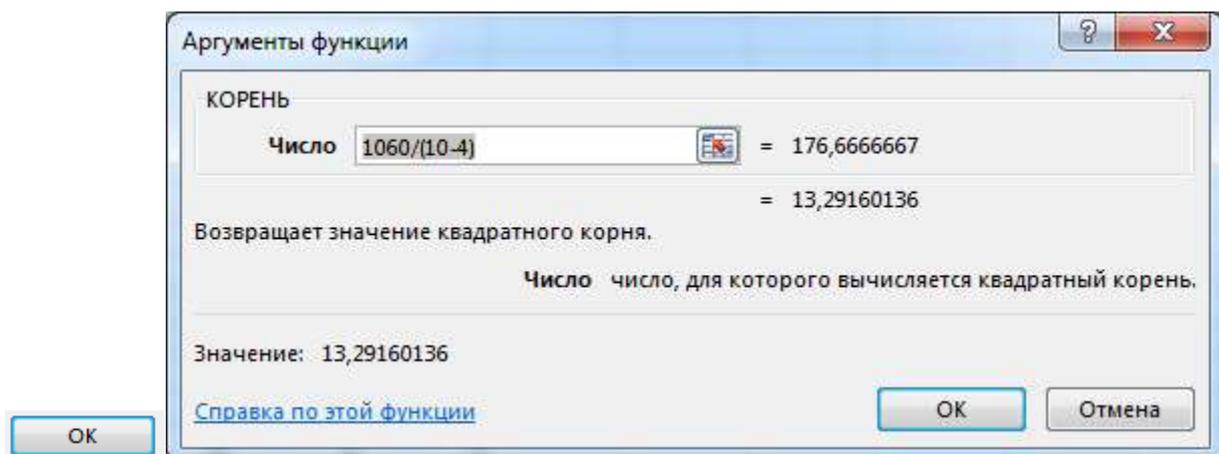


Figure 12.

After doing the above, we determine the values according to formula (8), again enter cell I-21 of the spreadsheet, create the formula $= I20 * (J20-K20)$ and press Enter (Figure 13).



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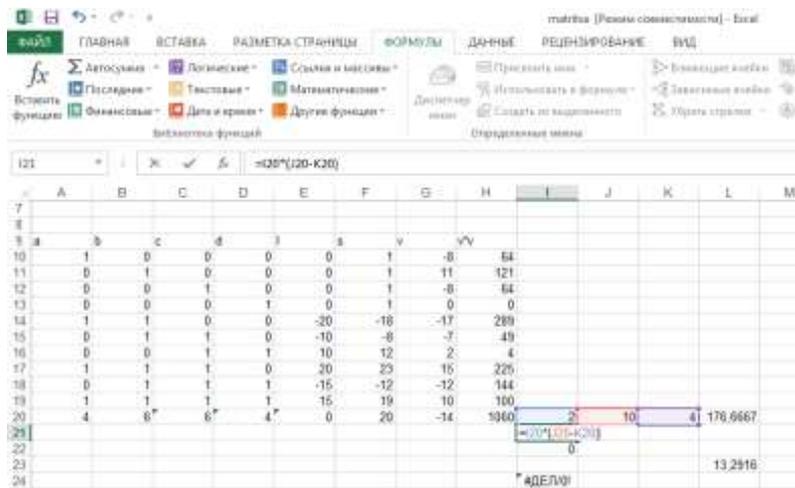


Figure 13.

Then we go to cell I-22, click "=", enter the command "FORMULAS" from the command line and click on the command "BASIC" from the submenu "Library of functions" from the menu "Mathematical" and the additional "Arguments function" In the "Number" window of the window, type the I-21 cell icon and press the button, and the result is displayed on the screen (Figure 14).

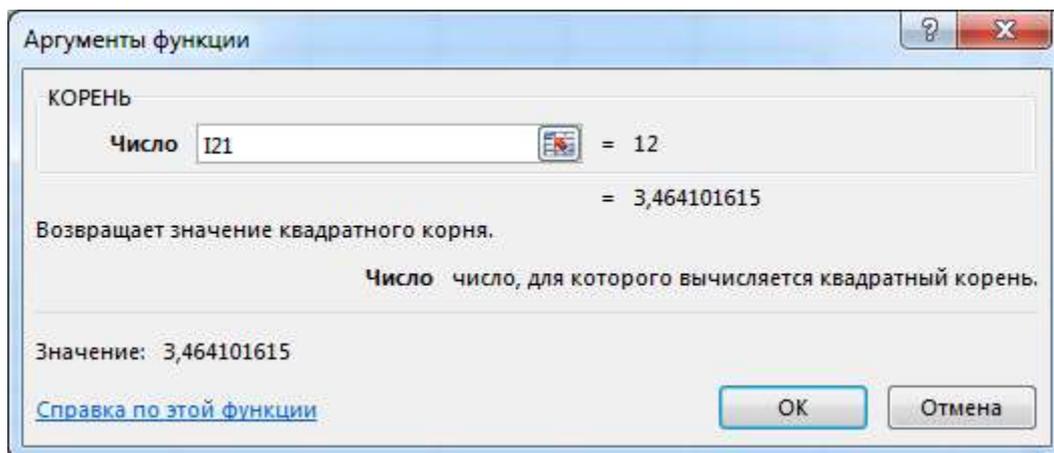


Figure 14.

Then we go to cell I-24, create the formula "= L23 / I22" and get the final result (Figure 15).



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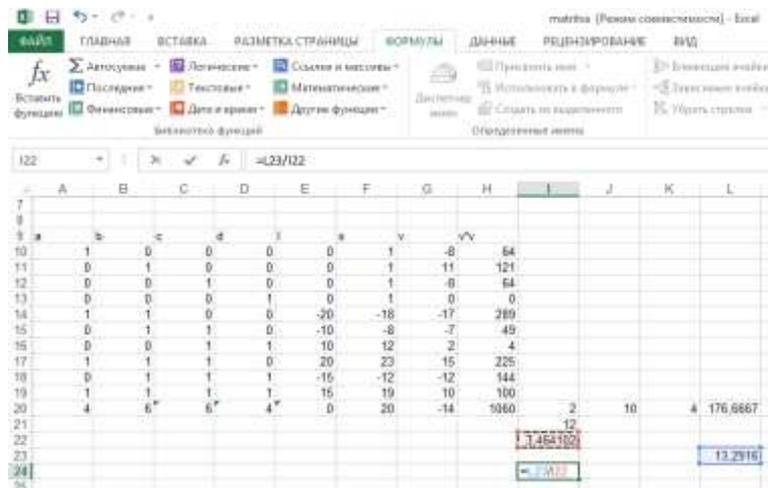


Figure 15.

In short, Microsoft Excel spreadsheet is a ready-made program that not only solves economic and financial problems, but also helps to solve complex calculations in the field of geodesy.

Thus, Microsoft Excel has the ability to solve existing problems in the discipline of "Theory of mathematical processing of geodetic measurements (parametric equalization of the triangulation network and the assessment of accuracy) and is a very useful program for solving complex problems in the field of geodesy.

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